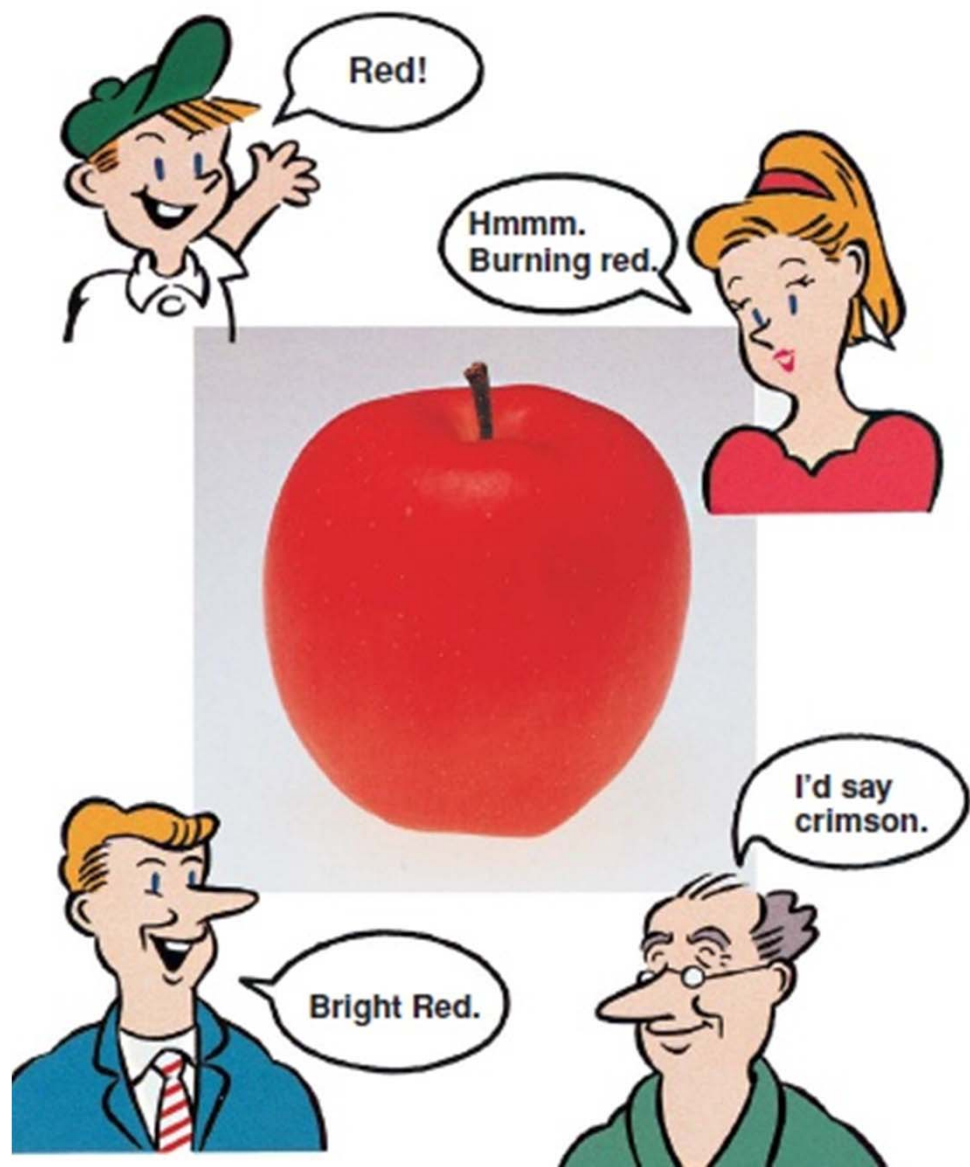
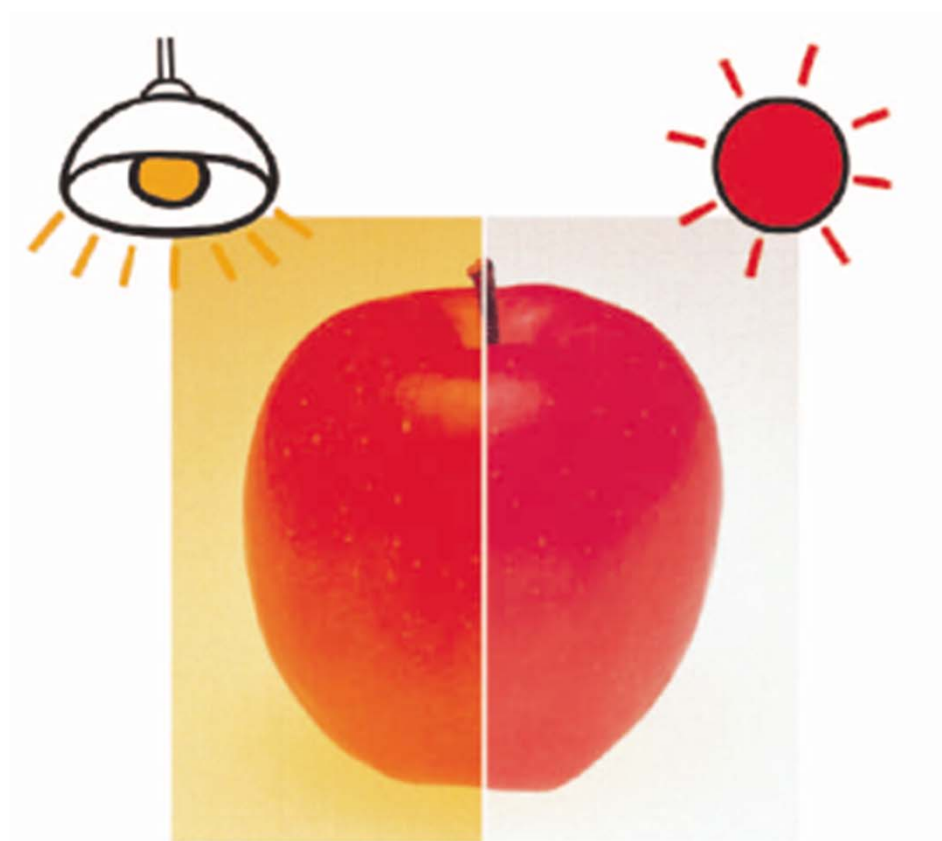


What color is this apple ?



Even though it's actually the same color,  
it looks different. Why?



# A variety of conditions affect how a color looks.

Light-source differences

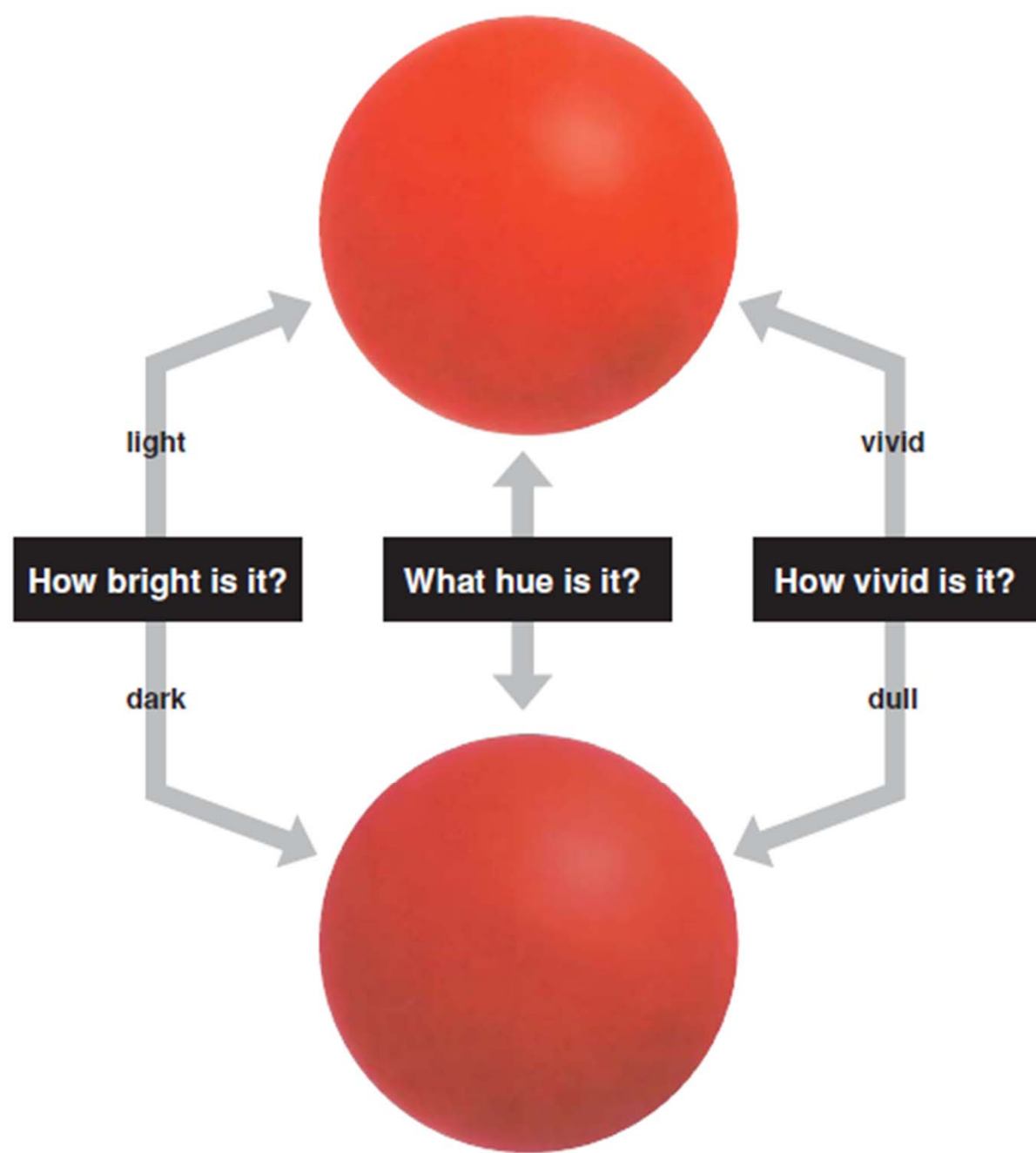
Background differences

Observer differences

Size differences

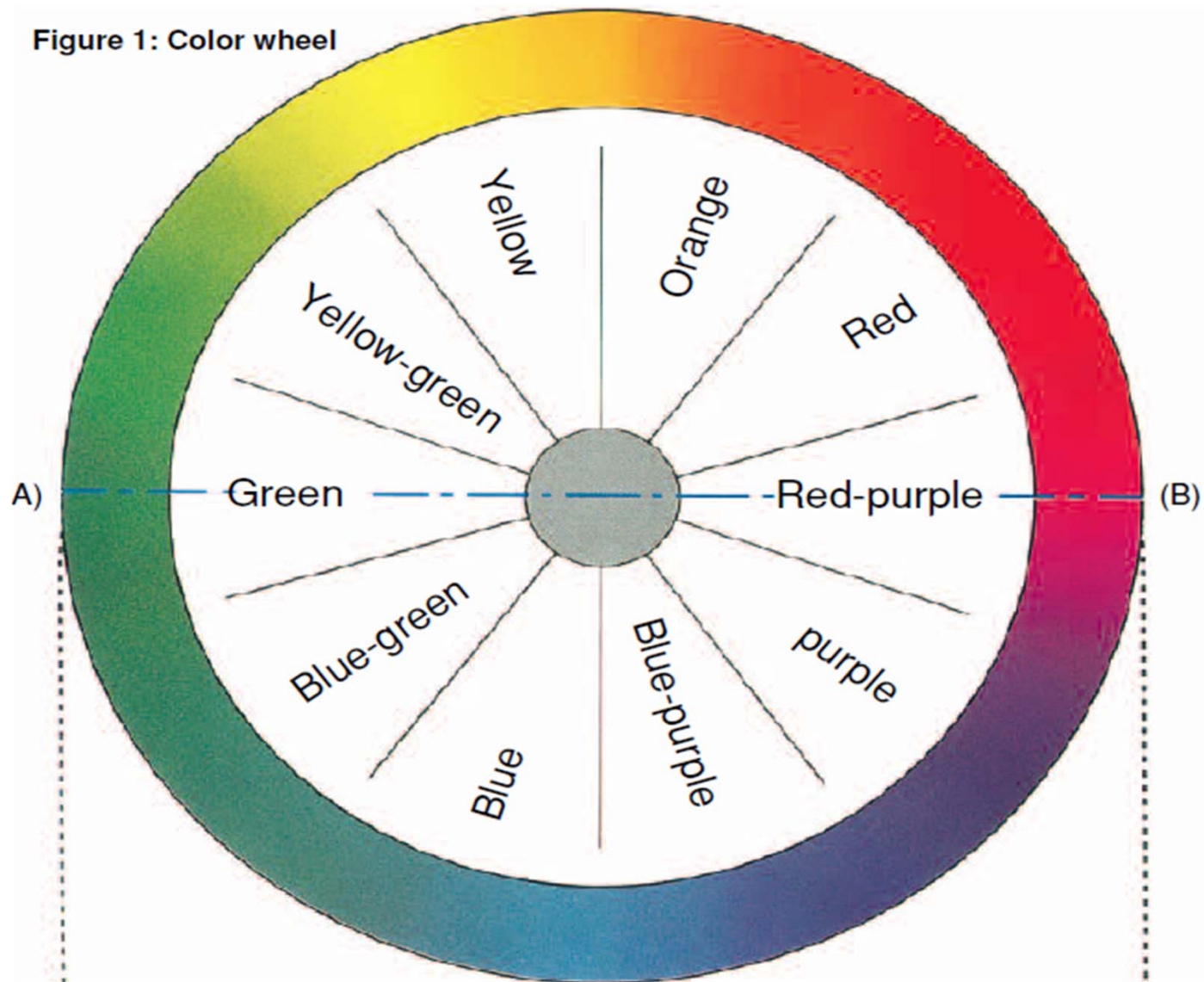
Directional differences





**Hue. Lightness. Saturation. The world of color is a mixture of these three attributes.**

Figure 1: Color wheel





# Hue. Lightness. Saturation. The world of color is a mixture of these three attributes.

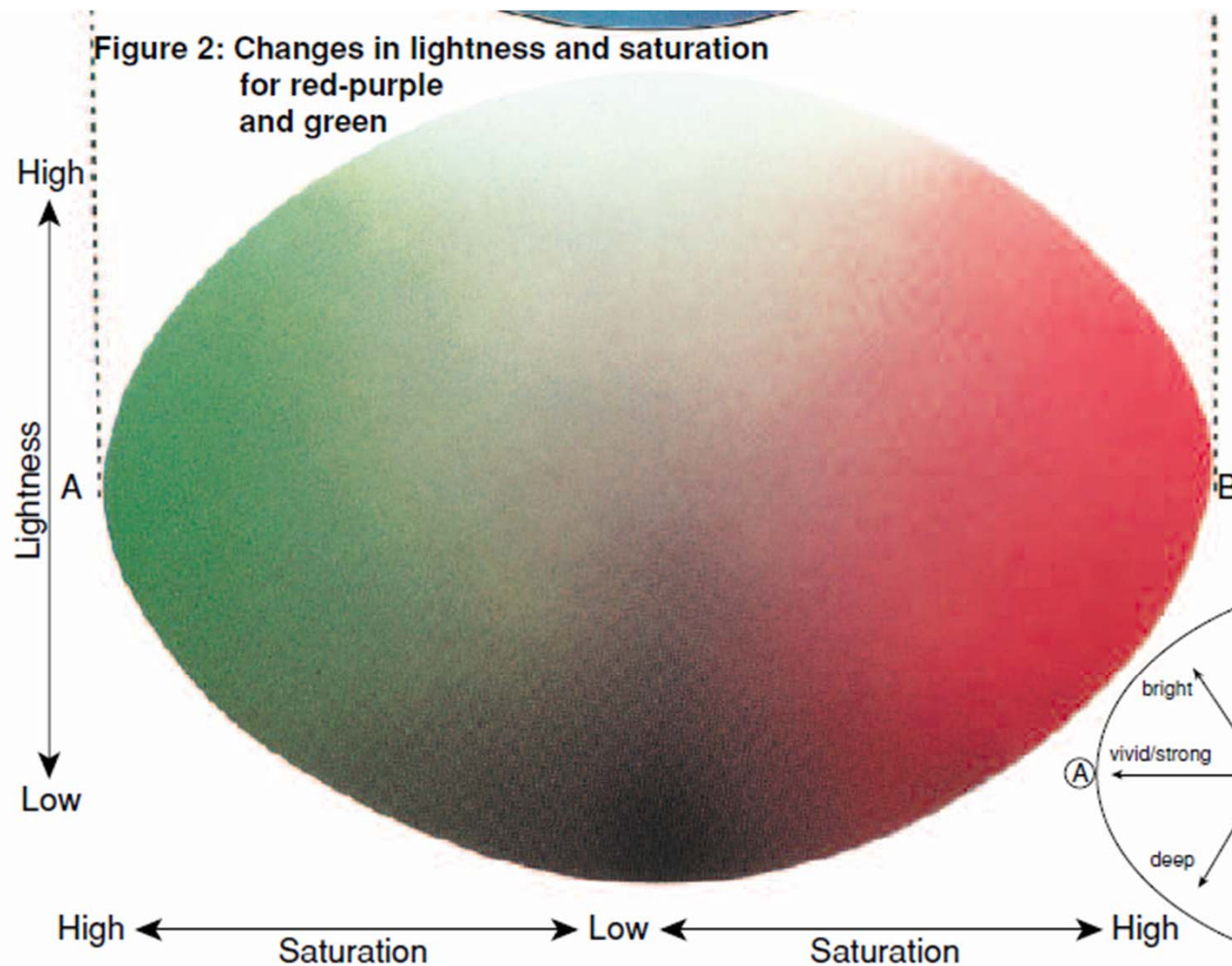
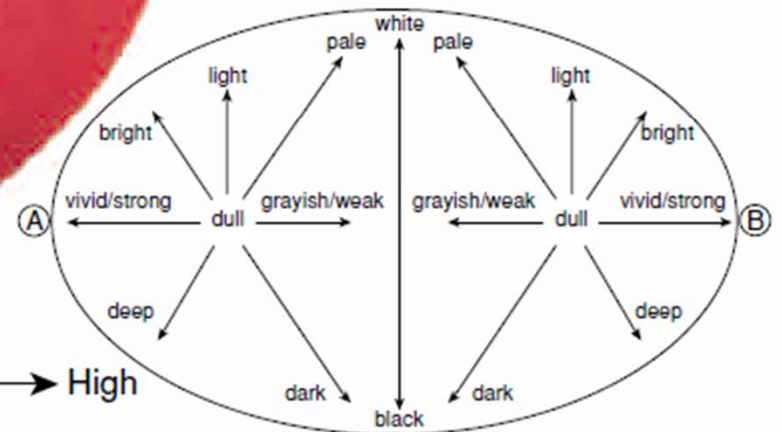


Figure 3:  
Adjectives related to colors  
(for lightness and saturation)



# Let's create a color solid.

Figure 4:  
Three-dimension  
(hue, lightness, saturation) solid

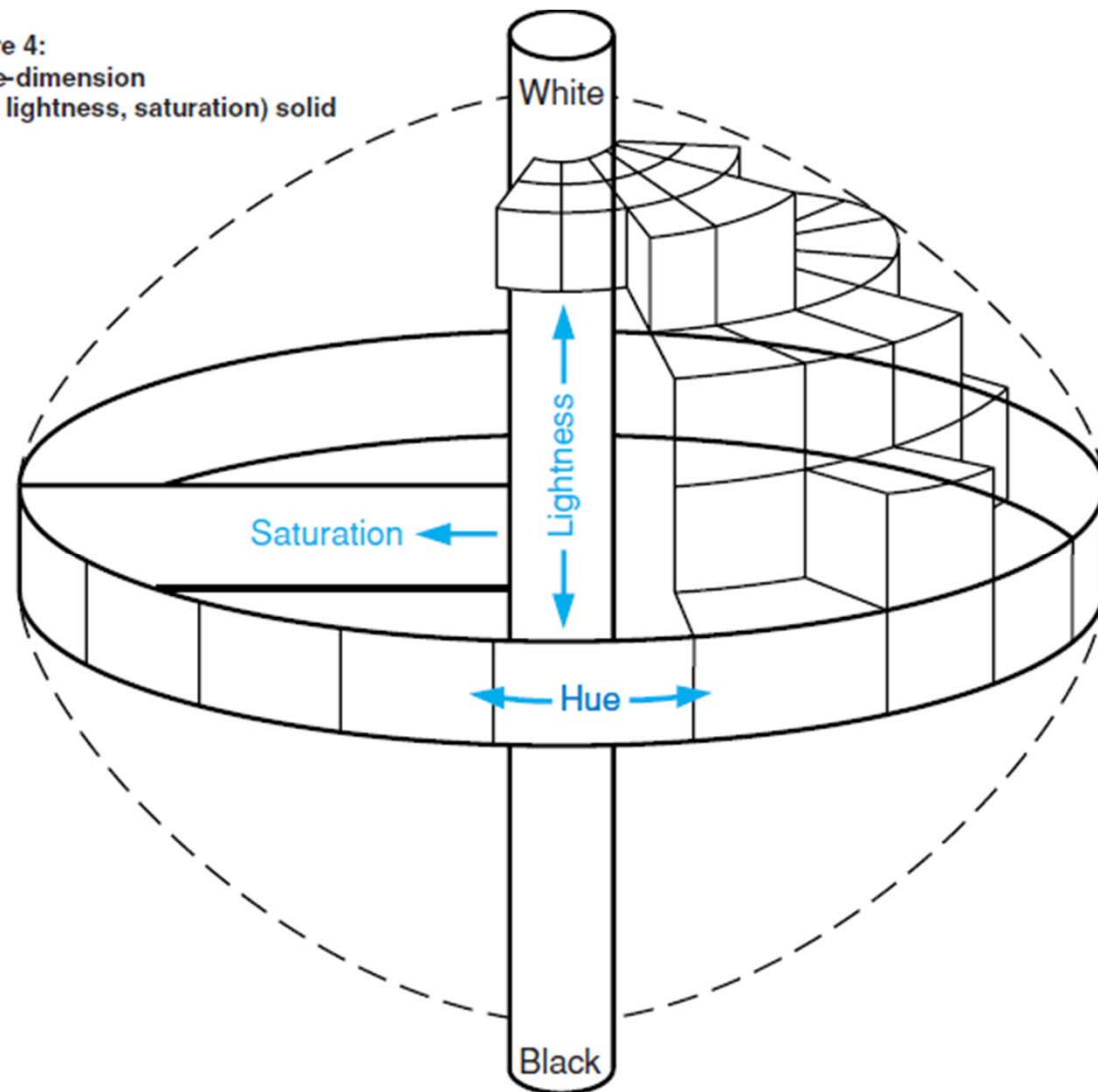
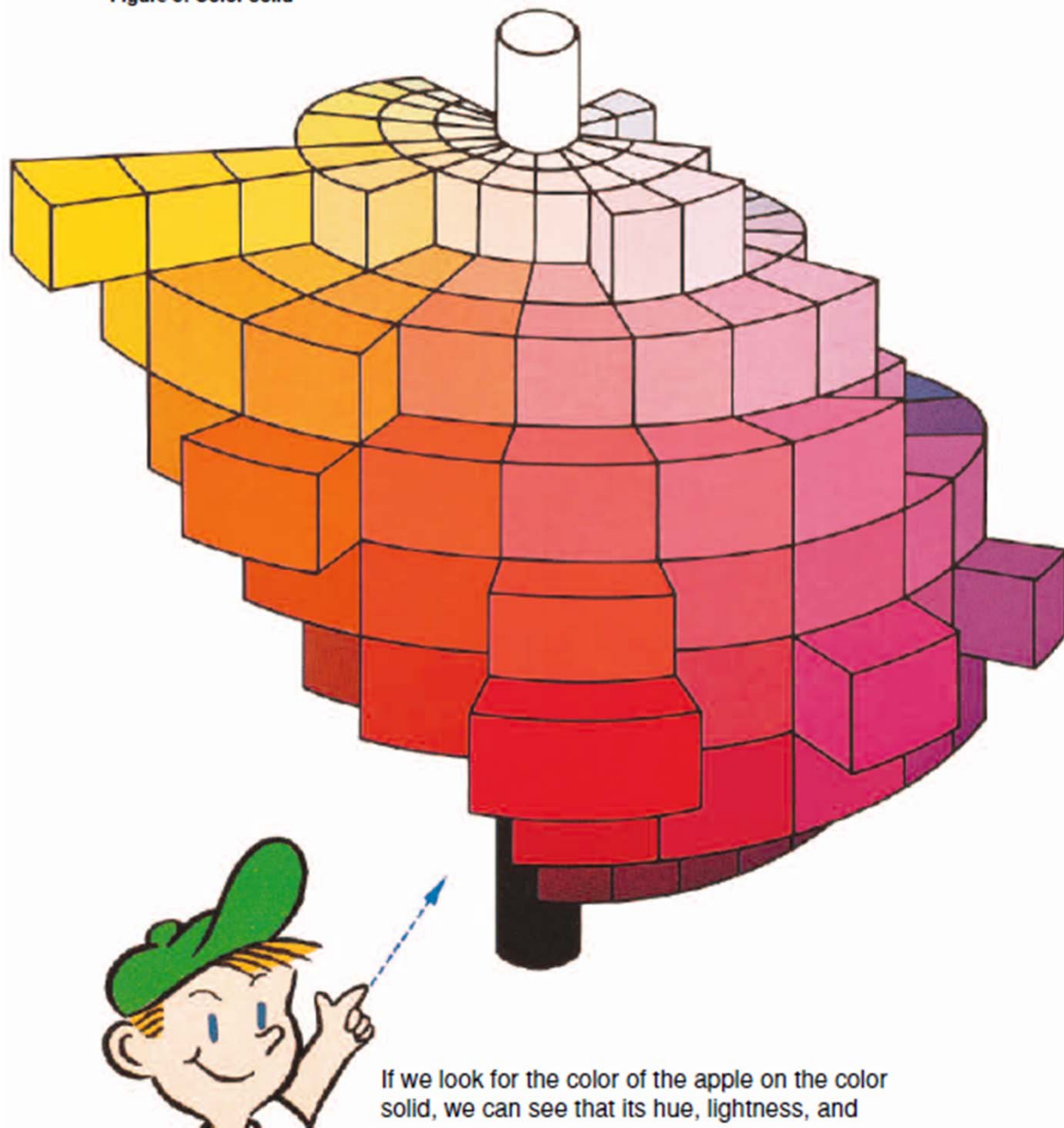


Figure 5: Color solid



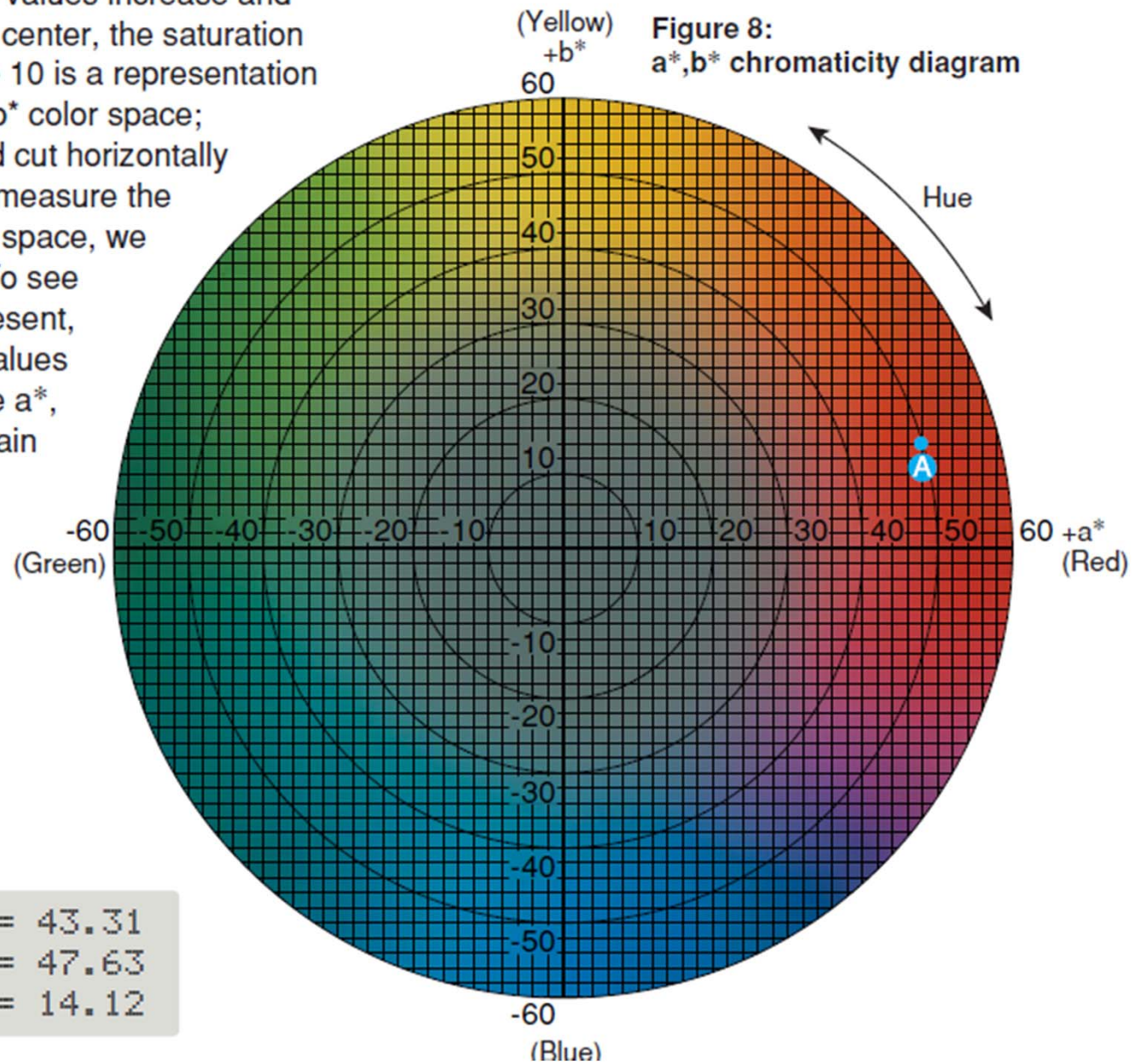


By creating scales for hue, lightness, and saturation, we can measure color numerically.



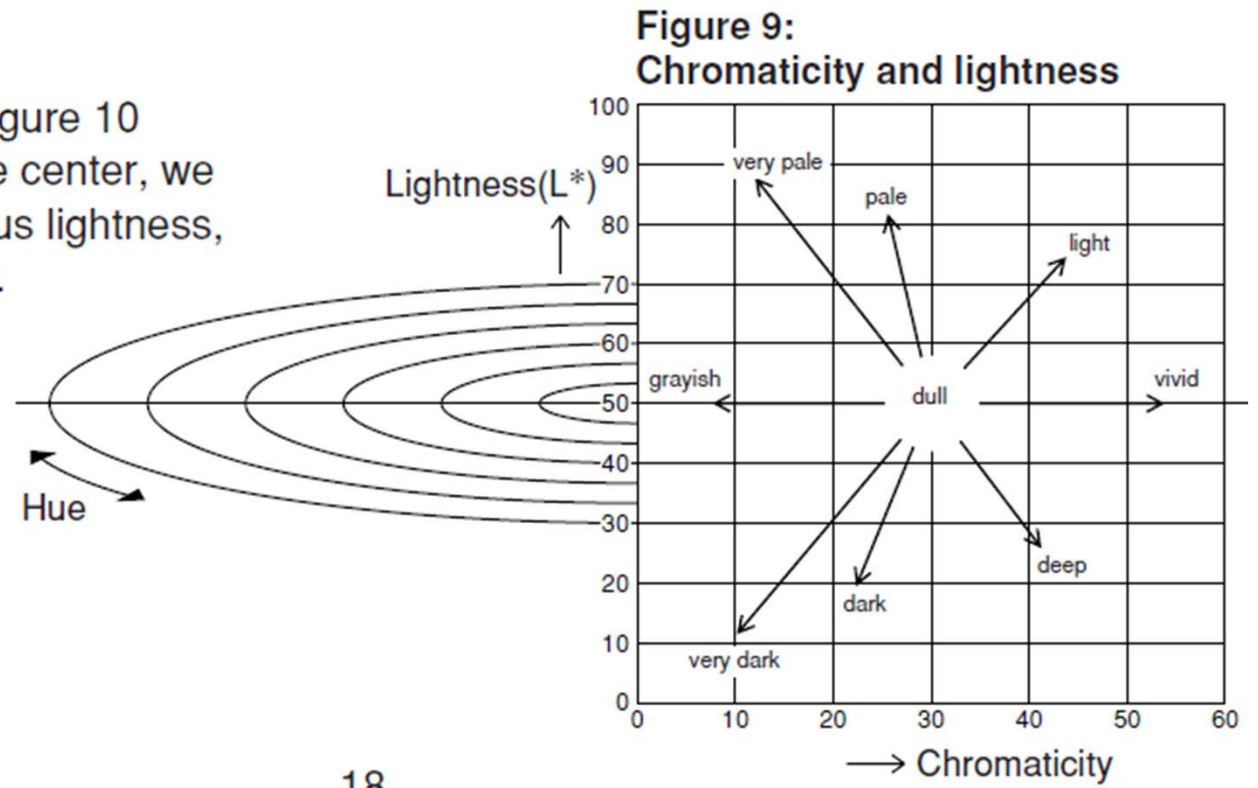
achromatic; as the  $a^*$  and  $b^*$  values increase and the point moves out from the center, the saturation of the color increases. Figure 10 is a representation of the color solid for the  $L^*a^*b^*$  color space; Figure 8 is a view of this solid cut horizontally at a constant  $L^*$  value. If we measure the apple using the  $L^*a^*b^*$  color space, we obtain the following values. To see what color these values represent, let's first plot the  $a^*$  and  $b^*$  values ( $a^*=+47.63$ ,  $b^*=+14.12$ ) on the  $a^*$ ,  $b^*$  diagram in Figure 8 to obtain point A, which shows the chromaticity of the apple.

**Figure 8:**  
 $a^*, b^*$  chromaticity diagram

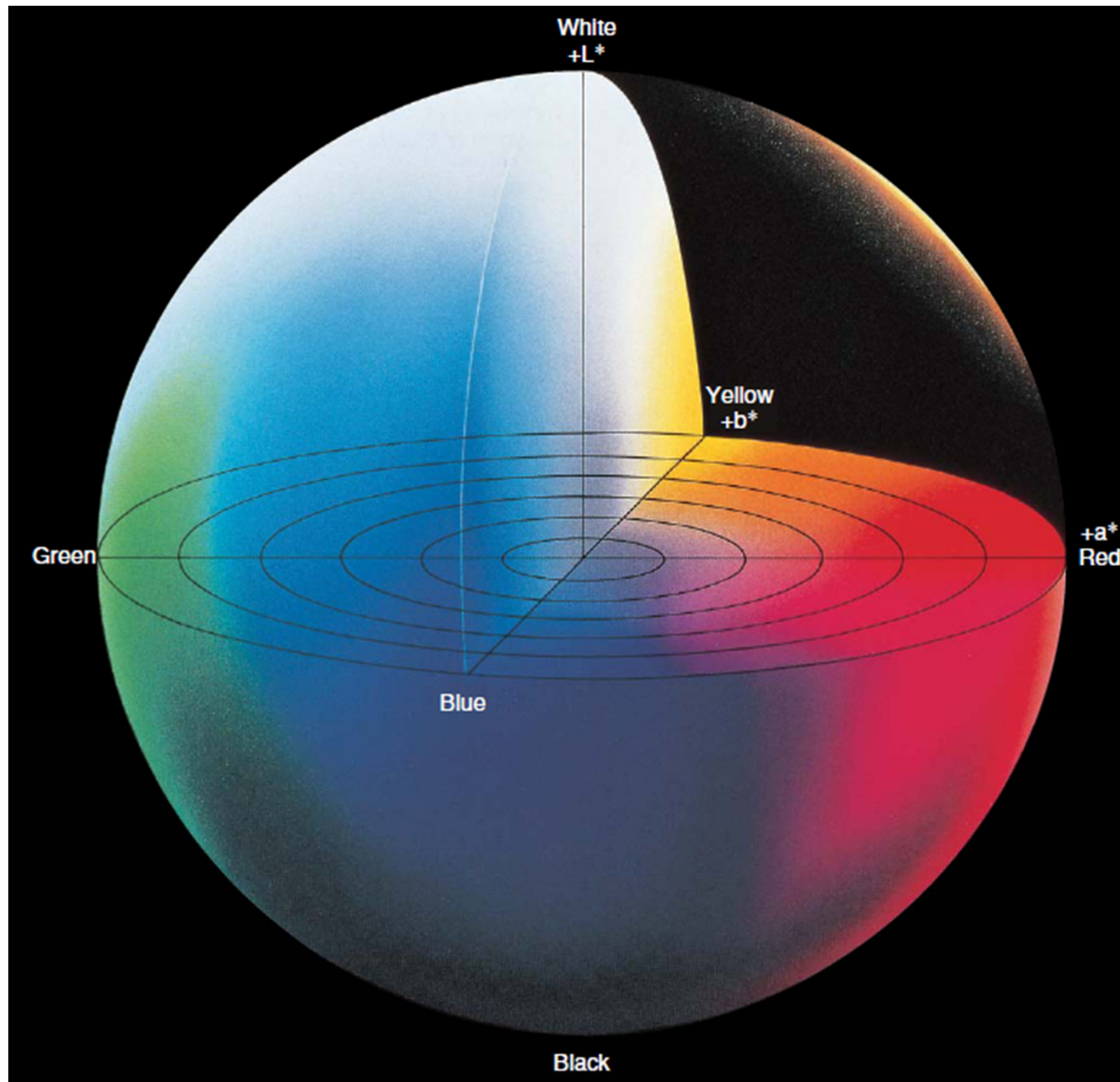


$L^*= 43.31$   
 $a^*= 47.63$   
 $b^*= 14.12$

Now, if we cut the color solid of Figure 10 vertically through pointt **A** and the center, we obtain a view of chromaticity versus lightness, part of which is shown in Figure 9.







coordinates instead of rectangular coordinates. In this color space,  $L^*$  indicates lightness and is the same as the  $L^*$  of the  $L^*a^*b^*$  color space,  $C^*$  is chroma, and  $h$  is the hue angle. The value of chroma  $C^*$  is 0 at the center and increases according to the distance from the center. Hue angle  $h$  is defined as starting at the  $+a^*$  axis and is expressed in degrees;  $0^\circ$  would be  $+a^*$  (red),  $90^\circ$  would be  $+b^*$  (yellow),  $180^\circ$  would be  $-a^*$  (green), and  $270^\circ$  would be  $-b^*$  (blue). If we measure the apple using the  $L^*C^*h$  color space, we get the results shown below. If we plot these values on Figure 11, we obtain point A.

$$\text{Chroma } C^* = \sqrt{(a^*)^2 + (b^*)^2}$$

$$\text{Hue angle } h_{ab} = \tan^{-1} \left\{ \frac{a^*}{b^*} \right\}$$



$L = 43.31$   
 $C = 49.68$   
 $h = 16.5$

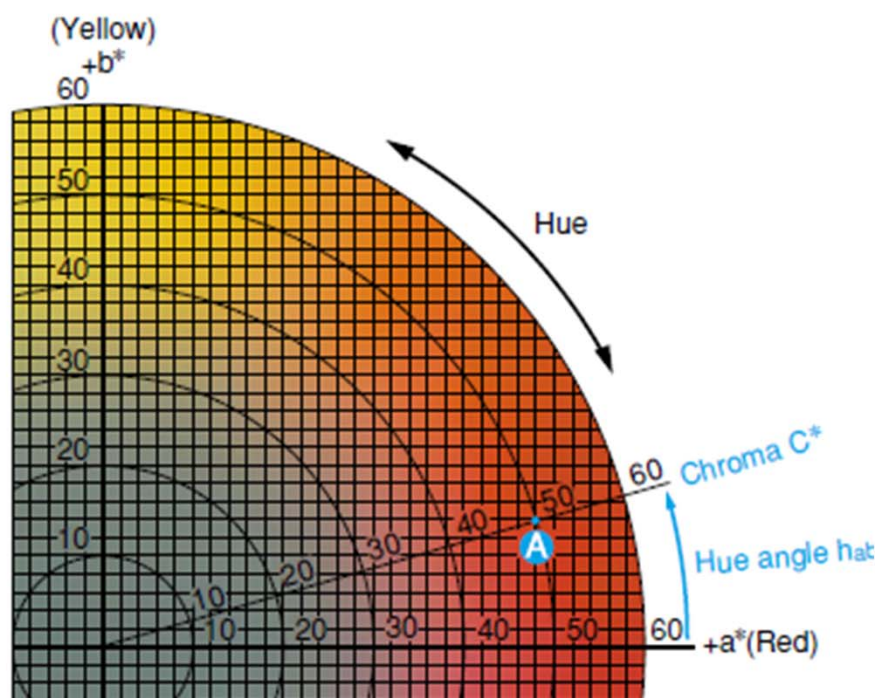
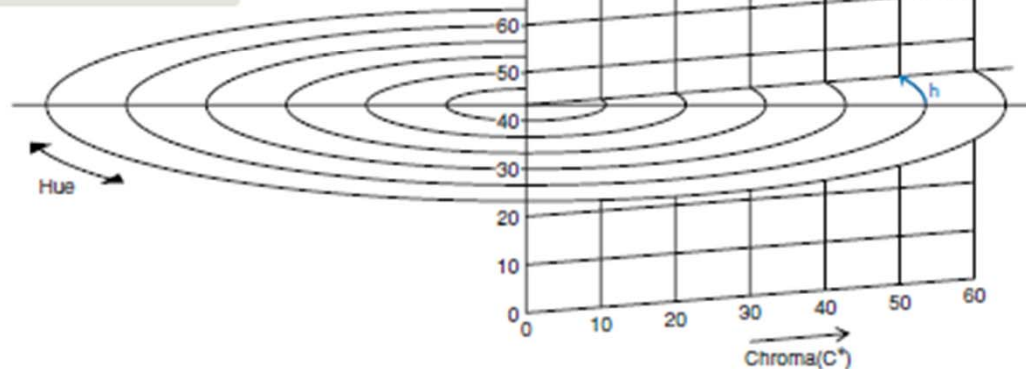


Figure 12: Chroma and lightness



# Colorimeters excel at reporting even minute color differences.

Apple 1



Apple 2



anywhere that color is used. But with a colorimeter, even minute color differences can be expressed numerically and easily understood. Let's use the  $L^*a^*b^*$  and  $L^*C^*h^*$  color spaces to look at the color difference between two apples. Using apple 1's color ( $L^*=43.31$ ,  $a^*=+47.63$ ,  $b^*=+14.12$ ) as the standard, if we measure the difference of apple 2's color ( $L^*=47.34$ ,  $a^*=+44.58$ ,  $b^*=+15.16$ ) from apple 1's color, we get the results shown in display A below. The difference is also shown on the graph in Figure 14.

A:  $L^*a^*b^*$  color difference

$\Delta L^* = +4.03$   
 $\Delta a^* = -3.05$   
 $\Delta b^* = +1.04$   
 $\Delta E^* = 5.16$

B:  $L^*C^*h^*$  color difference

$\Delta L^* = +4.03$   
 $\Delta C^* = -2.59$   
 $\Delta H^* = +1.92$   
 $\Delta E^* = 5.16$

The diagram of Figure 13 should make color difference in the  $L^*a^*b^*$  color spaces easier to understand. In the  $L^*a^*b^*$  color space, color difference can be expressed as a single numerical value,  $\Delta E^*_{ab}$ , which indicates the size of the color difference but not in what way the colors are different.  $\Delta E^*_{ab}$  is defined by the following equation

$$\Delta E^*_{ab} = \sqrt{(\Delta L^*)^2 + (\Delta a^*)^2 + (\Delta b^*)^2}$$

If we put the values  $\Delta L^*=+4.03$ ,  $\Delta a^*=-3.05$ , and  $\Delta b^*=+1.04$





























































